

Magnetic Configuration Study of $L = 1$ Helical Axis Heliotron

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Abstract

The design studies of $L = 1$ helical axis heliotron have been progressed at Kyoto University. The experimental device based on this concept, Heliotron J, is designed to have the $L = 1$ continuous helical coil with two sets of toroidal coils and three pairs of poloidal coils for the experimental flexibility. In this paper, flexibility of helical axis heliotron configurations are described in relation with the poloidal coil current control.

Keywords:

helical axis heliotron, bumpy field, MHD equilibrium, Mercier stability, collisionless particle confinement, neoclassical transport

1. Introduction

The helical axis heliotron device, Heliotron J (H-J), has been proposed at Kyoto University to explore the advanced helical system [1]. Its major radius is $R_0 = 1.2\text{m}$ and averaged magnetic field strength at the magnetic axis is 1.0–1.5T. Typical plasma minor radius is $a = 0.1 - 0.2\text{m}$. One of the main purposes is to do the basic experimental study of helical magnetic axis configuration. In order to keep the experimental flexibility and easy access, the $L = 1/M = 4$ continuous helical field coil (HFC) with pitch modulation $\alpha = -0.4$ has been chosen [2]. The winding law is defined as $\theta = \pi + (M/L)\phi - \alpha \sin(M/L)\phi$, where $L(M)$ is the pole (pitch) number and $\theta(\phi)$ denotes the geometrical poloidal (toroidal) angle. Negative pitch modulation is effective to form the vacuum magnetic well in the entire plasma region. In addition, recent studies have shown the significant roles of the bumpy field for improving

the collisionless particle confinement [3] and controlling the bootstrap current [2]. The bumpy field is also the important component which was not present in planar axis heliotrons. There are also two sets of toroidal field coils (TFC-A,B) with different coil current. This current modulation is effective to control the bumpy field externally in a wide range. In addition, three pairs of poloidal field coils (PFC) have been proposed for further flexibility. The effects of TFC currents were already described in Ref. [4]. Therefore, in this paper, the effects of PFC currents on collisionless particle confinement, neoclassical transport, magneto-hydrodynamic (MHD) equilibrium and stability properties are described.

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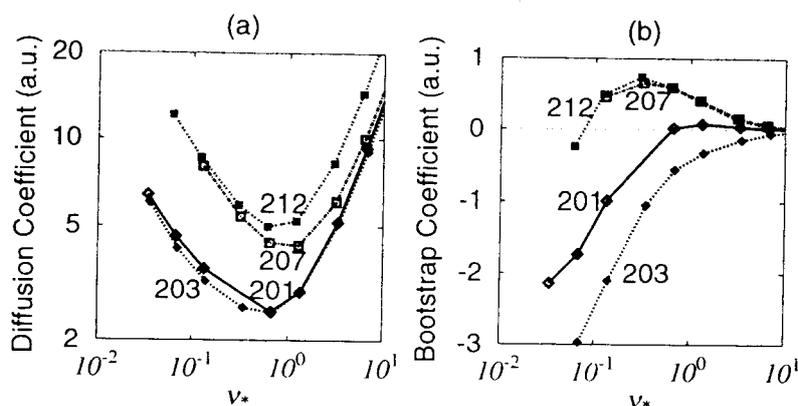


Fig. 2 (a) Neoclassical particle diffusivity and (b) bootstrap coefficient for configurations 201, 203, 207 and 212.

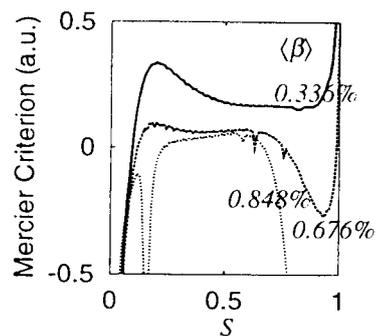
 Table I The ratios, B_{10}/B_{11} and B_{01}/B_{11} , for configurations 201, 203, 207 and 212.

Configuration	B_{10}/B_{11}	B_{01}/B_{11}
201	0.75	-0.65
203	0.88	-1.13
207	0.66	0.08
212	0.76	0.17

between 203 and 212). In this case, active control of bumpy field using TFC (increasing the ratio, I_{TA}/I_{TB}) would be required for closing B_{\min} contours.

Collisionless particle confinement is studied with the guiding center equations in the Boozer coordinates [7]. The protons are launched from $r/a = 0.25, 0.5, 0.75$ magnetic surfaces with assumed temperature profile: $T(r) = 1.0[1 - (r/a)^2]$. The number of launched particles from uniformly distributed points in the Boozer poloidal and toroidal angles is defined by considering the area element. The particles are followed for 2 ms or until they cross the plasma boundary. The loss rate for configurations 201 and 207 is 12.6% and 24.2%. The collisionless particle confinement improves as B_{01}/B_{11} becomes almost zero to negative, reflecting the closure of B_{\min} contours.

The DKES code [8] has been utilized to evaluate the neoclassical transport properties. They are calculated at the magnetic surface with $|B_{10}| = 0.1$. Therefore, the contribution from axisymmetric part of the magnetic field can be considered to be equal except the difference of \mathbf{t} . Figure 2(a) shows the monoenergetic particle diffusion coefficient and 2(b) the bootstrap coefficient, where v_* denotes the effective collision frequency. The $1/v$ diffusivity reduces for configurations 201 and 203


 Fig. 3 Mercier stability criterion for several β values for the configuration 212.

with negative B_{01}/B_{11} compared to that for 207 and 212 with positive or almost zero B_{01}/B_{11} . The bootstrap coefficient also changes with B_{01}/B_{11} . The B_{10}/B_{11} , which is the one of the key parameters to reduce the bootstrap current in the Wendelstein 7-X (W7-X) [9], does not vary in a wide range as listed in Table I. Therefore, it is considered that the variation of bootstrap coefficient is mainly due to the bumpy field. Figures 2 imply flexibility in experiments for neoclassical transport properties in H-J through PFC current variation.

The MHD equilibrium has been calculated by the VMEC [10] with a rather broad pressure profile, $P(s) = P(0)(1 - s^2)^2$, and currentless condition. Based on the MHD equilibrium, ideal Mercier criterion (D_M) [11] has been evaluated by the TERPSCICHORE code [12]. As an example, the results for the configuration 212 (the deepest magnetic well among four configurations) is shown in Fig. 3, where the positive D_M corresponds to the Mercier stability. From this figure, it is concluded

that the configuration 212 is Mercier stable up to $\langle\beta\rangle \sim 0.5\%$. The spike-like behavior at $\langle\beta\rangle = 0.848\%$ corresponds to the rational surface with $\iota = 4/6$. It arises from the resonant parallel current in the vicinity of a rational surface, which is obtained by solving the magneto-differential equation derived from the local equilibrium equation ("indirect method"). The narrow spike can be considered to be physically remedied by the flattening of the pressure profile in the magnetic island region. This has been numerically justified in Ref. [13] for the LHD by the "filtering" of the resonant contribution to Mercier criterion, which reproduces the result based on the VMEC equilibrium quantities ("direct method"). However, it is pointed out there that the discrepancy between indirect and direct method become remarkable around the region where the ι has a local minimum (and low shear). Therefore, to determine the ideal Mercier stability limit in detail in the H-J with low shear, careful comparisons between indirect and direct methods should be accomplished. By the way, D_M becomes negative in rather wide region even when $\langle\beta\rangle < 0.5\%$ due to the presence of two points of $\iota = 4/8$ by the change of ι in other three configurations. From this point of view, the configuration 212 with higher ι is considered to have a wider margin for the appearance of $\iota = 4/8$. Therefore, the reduction of Pfirsch-Schlüter current (or reduction of Shafranov shift) should be pursued to keep ι unchanged and/or to avoid the dangerous low-order rational surfaces.

4. Summary

The flexibility of helical axis heliotrons based on poloidal coil current control is presented. The ratios, toroidicity/helicity and bumpiness/helicity in the

magnetic field can be widely controlled, which varies the collisionless particle confinement and bootstrap current. The vacuum magnetic well is also varied to maintain the Mercier stability, however; the possibility of low-order rational surface at finite beta cases due to the ι change may cause the Mercier unstable region. The shear generation with Ohmic current would be one of the possibilities for avoiding this unstable region. Further detailed study for maintaining the MHD stability at higher beta values should be explored.

References

- [1] F. Sano *et al.*, J. Plasma Fusion Res. SERIES 1, 168 (1998).
- [2] M. Yokoyama, Y. Nakamura and M. Wakatani, J. Plasma Fusion Res. 73, 723 (1997).
- [3] M. Yokoyama, N. Nakajima, M. Okamoto *et al.*, J. Plasma Fusion Res. SERIES 1, 445 (1997).
- [4] M. Wakatani, Y. Nakamura *et al.*, *Plasma Physics and Controlled Nuclear Fusion Research 1998*, in press.
- [5] K. Uo *et al.*, *Plasma Physics and Controlled Nuclear Fusion Research 1980* (Proc. 8th Int. Conf. Brussels, 1980), Vol.1, IAEA, Vienna, 217 (1981).
- [6] A.H. Boozer, Phys. Fluids 23, 904 (1980).
- [7] R. Fowler *et al.*, Phys. Fluids 28, 338 (1985).
- [8] S.P. Hirshman *et al.*, Phys. Fluids 29, 2951 (1986).
- [9] G. Grieger *et al.*, Phys. Fluids B4, 2081 (1992).
- [10] S.P. Hirshman *et al.*, Comput. Phys. Commun. 43, 143 (1986).
- [11] C. Mercier, Nucl. Fusion 1, 47 (1960).
- [12] W.A. Cooper, Plasma Phys. and Contr. Fusion, 34, 1011 (1992).
- [13] K. Ichiguchi, Nucl. Fusion, 36, 1157 (1996).